

Testing the Portfolio Rebalancing Channel of Quantitative Easing

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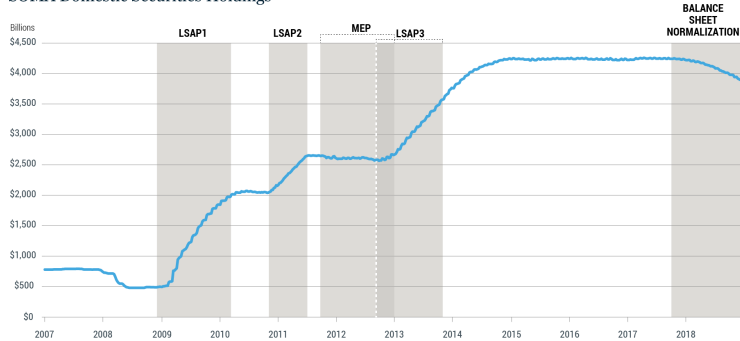
University of Minnesota Asset Pricing Conference

Discussion – May 2025

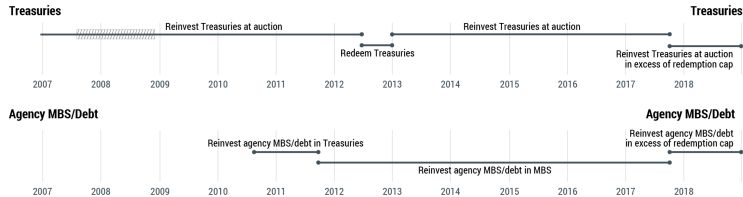
Erik Loualiche – University of Minnesota

What is QE

SOMA Domestic Securities Holdings



REINVESTMENT POLICIES



Does QE Matter?

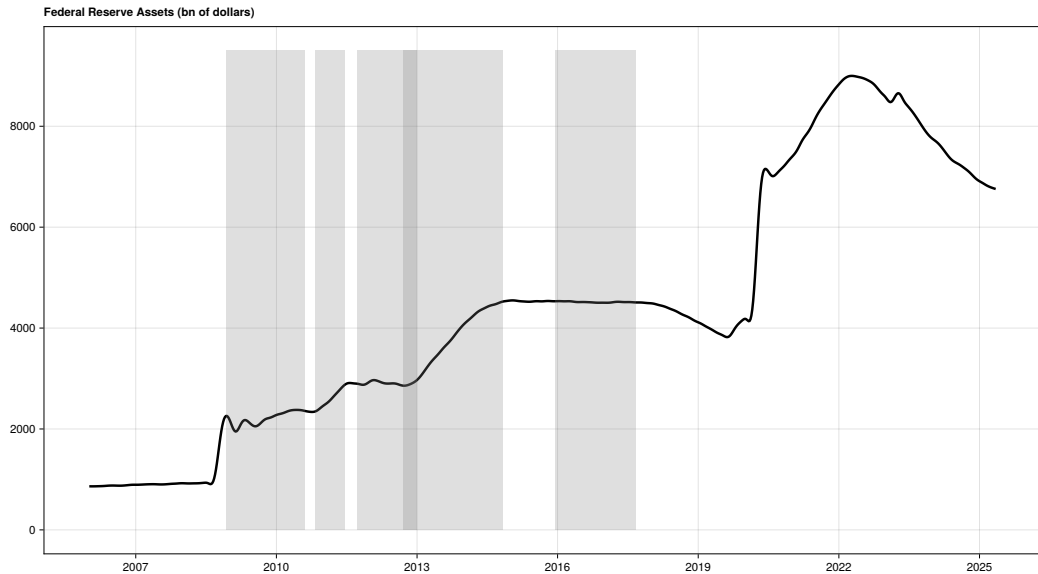
Treasury Market

- 25t outstanding
- 2t issued / year; 5t issued in 2021
- 1t traded / day

Quantitative Easing

- 4t in open market operations before covid plus signalling!
- Treasury and MBS (2/3, 1/3 as of 2024 HR41)
- Spread over more than 10 years

It keeps going...



Ask the Expert



The channels of QE Transmission

“It works in practice, but does it work in theory?”

- Portfolio rebalancing
 - Risk premium effects
 - Corporate bond transmission
- Expectations Channel
- Credit Channel

This Paper

- Find a QE shock: change in the residual supply of some treasury assets
 - At the bond level, at fund level
- Effect on prices
 - How does the price of the shocked bond move?
 - How does the price of closely related assets respond? Propagation to corporates.
- Real effects

QE Shock

- Shock is when the Fed does not buy what a optimizing trader would expect

$$\text{Shock}_i = \text{Real World Fed}_i - \text{Optimizing Fed Model}_i$$

- Units of the shock are normalized by market size:

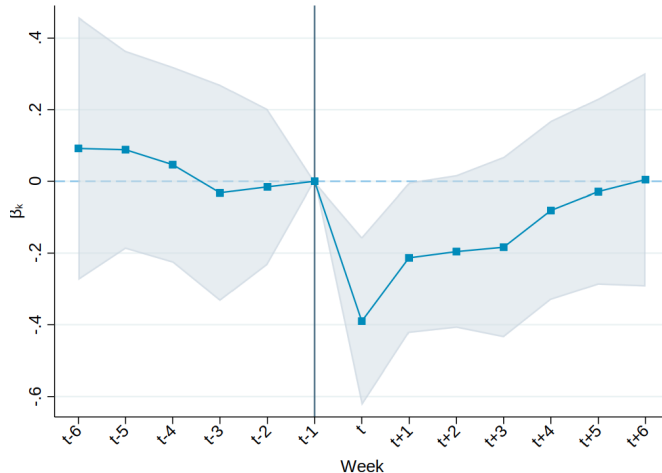
$$\text{QEShock}_i = \frac{\sum_{\text{QE operations}} \text{Real World Fed}_i - \text{Optimizing Fed Model}_i}{\text{Treasury Coupons Outstanding}}$$

QE Shock: the regressions

Shock on yield

$$\Delta y = \beta \cdot \text{QE shock}$$

Yield Changes in Treasurys Around QE Shocks

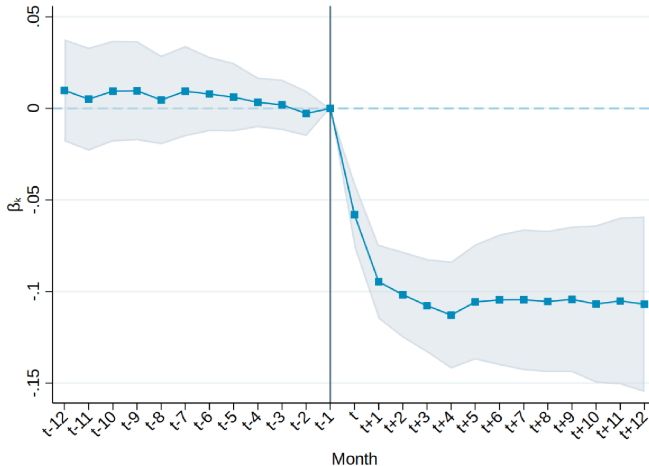


QE Shock: the regressions

Shock on mutual fund holdings

$$\Delta \text{Holdings} = \beta \cdot \text{QE shock}$$

Active Rebalancing by Funds into Fed-Purchased Treasurys around QE Shocks



QE Shock: the regressions

Shock on mutual fund holdings: different units

$$\Delta \text{Holdings} = \beta \cdot (\text{yield from first stage})$$

Active Rebalancing by Funds into Treasurys: Yield Changes

	$\Delta \text{Holdings}$
$\Delta \hat{y}$	0.016** (0.008)
Maturity FEs	✓
Calendar Time FEs	✓
R^2	0.229
N	3,776

Preferred Habitat as Restrictions on Elasticities

Vayanos-Vila model

- Three agents trading two different characteristics: duration and credit
 - Long vs. Short-term Treasury
 - Corporate vs. Treasury
- Preferred habitat: nest within a specific maturity
- Arbitrageurs
- Residuals: fixed demand curve for corporate

Preferred Habitat as Restrictions on Elasticities

Preferred habitat investors

- Rebalance between treasury and corporates within a maturity
- Demand units: level on log price

$$\left(\begin{array}{c} \overbrace{\left[\begin{array}{cc} \alpha(\tau=1) & \beta(\tau=1) \\ \tilde{\alpha}(\tau=1) & \tilde{\beta}(\tau=1) \end{array} \right]}^{\mathcal{E}_{\tau=1}} \\ \\ \left[\mathcal{E}_{\tau=T-1} \right] \\ \left[\mathcal{E}_T \right] \end{array} \right)$$

Preferred Habitat as Restrictions on Elasticities

Treasury arbitrageurs

- Arbitrage the yield curve

$$\begin{pmatrix} [\mathcal{E}^{\text{TR}}(\tau)] & [0] \\ [0] & [0] \end{pmatrix}$$

Preferred Habitat as Restrictions on Elasticities

Residual Corporate Bond Demand

- Fixed residual supply curve on the corporate bond

$$\left(\begin{array}{cc} \gamma & [\mathbf{0}] \\ [\mathbf{0}] & [\mathbf{0}] \end{array} \right)_{\tau=1}, \dots, \left(\begin{array}{cc} \gamma & [\mathbf{0}] \\ [\mathbf{0}] & [\mathbf{0}] \end{array} \right)_{\tau=N}$$

Preferred Habitat as Restrictions on Elasticities

Cross-sectional regressions only give us relative elasticities

- In the model we cannot directly estimate preferred habitat elasticity
 - only estimate $\alpha - \tilde{\beta}$ for each maturity τ
- Some model restrictions:
 - One parameter for own elasticity across maturities
 - One parameter for the cross-elasticity of substitution
 - Still N residual supply curves from corporate bond providers

Model regressions: identify the whole elasticity matrix

$$\begin{aligned}
 \frac{\frac{\partial \tilde{Z}_t^{(\tau^*)}}{\partial Q E_t} - \frac{\partial \tilde{Z}_t^{(\tau)}}{\partial Q E_t}}{\frac{\partial Z_t^{(\tau^*)}}{\partial Q E_t} - \frac{\partial Z_t^{(\tau)}}{\partial Q E_t}} &= \frac{\overline{d(-\tilde{\alpha}(\tau^*)\log\tilde{P}_t^{(\tau^*)} + \tilde{\beta}(\tau^*)\log P_t^{(\tau^*)})} - \overline{d(-\tilde{\alpha}(\tau)\log\tilde{P}_t^{(\tau)} + \tilde{\beta}(\tau)\log P_t^{(\tau)})}}{\overline{d(-\alpha(\tau^*)\log P_t^{(\tau^*)} + \beta(\tau^*)\log\tilde{P}_t^{(\tau^*)})} - \overline{d(-\alpha(\tau)\log P_t^{(\tau)} + \beta(\tau)\log\tilde{P}_t^{(\tau)})}} \\
 &= \frac{\overline{d(-\tilde{\alpha}(\tau^*)(-\tilde{A}(\tau^*)s_t - \tilde{C}(\tau^*)) + \tilde{\beta}(\tau^*)(-A(\tau^*)s_t - C(\tau^*)))} - \overline{d(-\tilde{\alpha}(\tau)(-\tilde{A}(\tau^*)s_t - \tilde{C}(\tau^*)) + \tilde{\beta}(\tau)(-A(\tau^*)s_t - C(\tau^*)))}}{\overline{d(-\alpha(\tau^*)(-A(\tau^*)s_t - C(\tau^*)) + \beta(\tau^*)(-\tilde{A}(\tau^*)s_t - \tilde{C}(\tau^*)))} - \overline{d(-\alpha(\tau)(-A(\tau^*)s_t - C(\tau^*)) + \beta(\tau)(-\tilde{A}(\tau^*)s_t - \tilde{C}(\tau^*)))}}
 \end{aligned}$$

Final Thoughts

Great Paper. Graduate students: go read it!

Take away

- Progress on understanding the effects of QE
- Progress on convincing shocks to estimate demand